Neutrino mass generation in asymptotically safe gravity

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In collaboration with:



Astrid Eichhorn



Antônio D. Pereira



Masatoshi Yamada

To appear: 2504.XXXXX

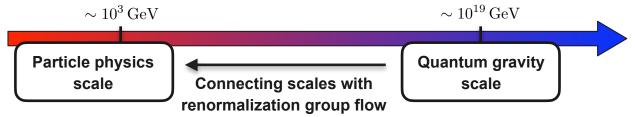
Towards experimental tests of quantum gravity

→ How to connect quantum gravity with experimental tests?



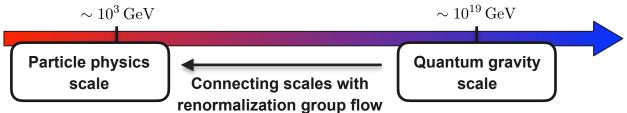
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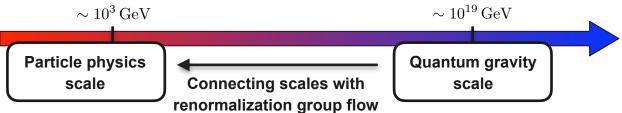
Exciting results in the past 15 years

- Higgs mass from ASQG
 - Shaposhnikov, Wetterich (2009), ...
- ► Solution to the hypercharge triviality problem Christiansen, Eichhorn (2017), ...
- UV completion of SM

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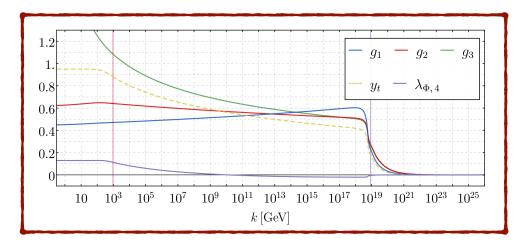
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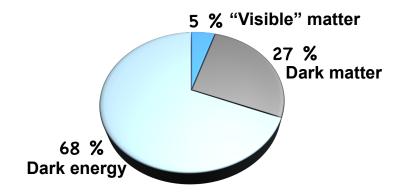
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Missing pieces of the Standard Model

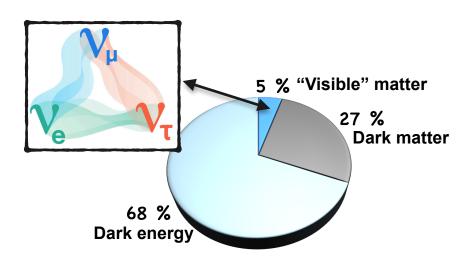
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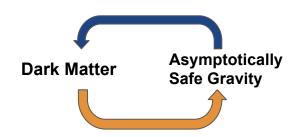




- Asymptotically safe gravity can lead to theoretical constraints on Dark Matter candidates
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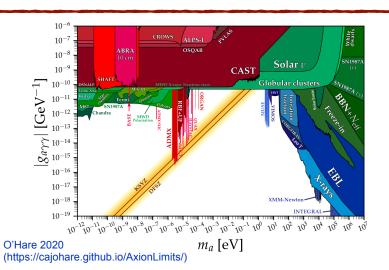
Axion-Like Particles (ALPs) in ASQG?

▶ Typical ALP-photon interaction:

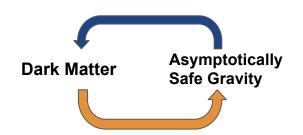
$$\mathcal{L}_{\gamma-\text{ALP}} = \frac{g_{a\gamma\gamma}}{4} \, \varphi \, F_{\mu\nu} \tilde{F}^{\mu\nu}$$

 Popular candidate for ultra-light (non-thermally produced) dark matter

Reviews on ALPs: Arias et.al.(2012), Ringwald (2012,2014), Irastorza, Redondo (2018), Irastorza (2021), ...



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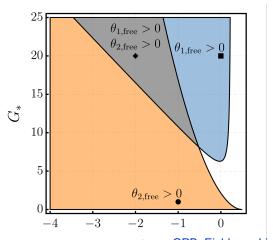
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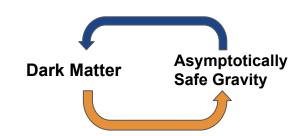
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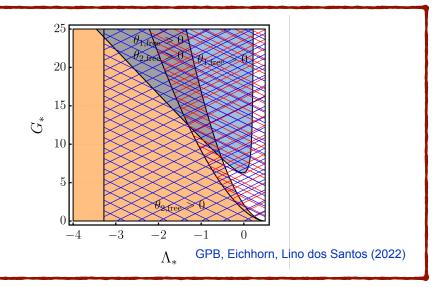
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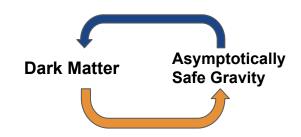
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Ruling out vector dark matter models in ASQG

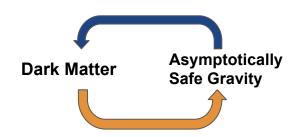
▶ DM via hidden gauge sector

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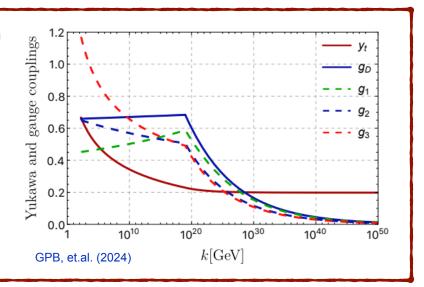
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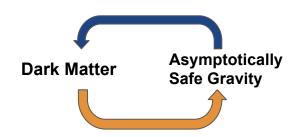
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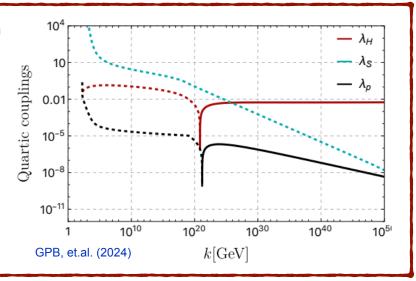
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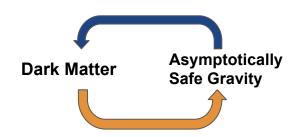
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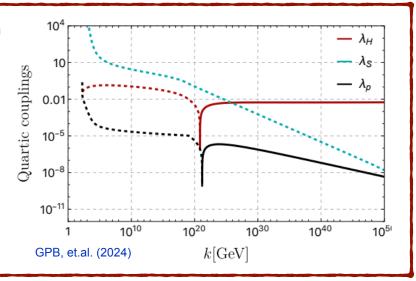
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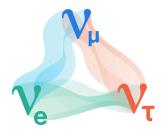
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- This chiral nature, combined with SM symmetries and (perturbative) renormalizability, restrict neutrinos to be massless particles

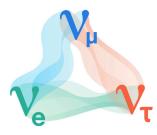
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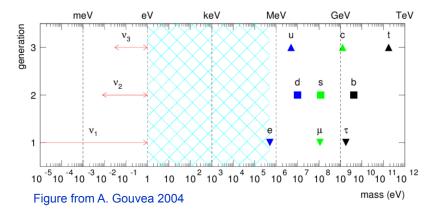
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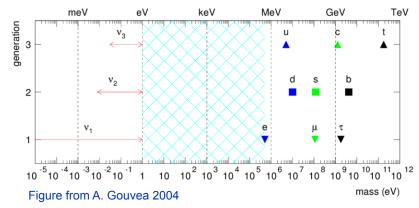
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 Neutrinos that are emitted with a given flavour (e.g. in the Sun)
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- → Explanation: Neutrinos are massive particles (with mass basis different from flavour basis)

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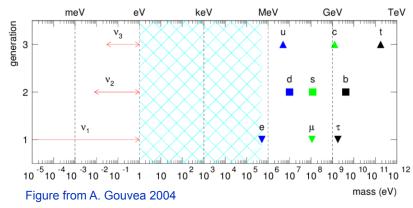


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- What is the origin of neutrino masses?
- Is it possible to explain the the large hierarchy between neutrino masses and other fermion masses?

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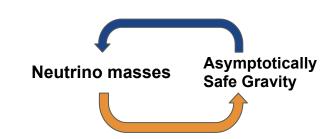
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- Many alternatives in the market (Dirac neutrinos, See-Saw, Weinberg operator...). Is there a theoretical principle to select a few of them?
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Naturally small Yukawa couplings from trans-Planckian asymptotic safety

Kamila Kowalska, Soumita Pramanick and Enrico Maria Sessolo

ABSTRACT: In gauge-Yukawa systems embedded in the framework of trans-Planckian asymptotic safety we discuss the dynamical generation of arbitrarily small Yukawa couplings driven by the presence of a non-interactive infrared-attractive fixed point in the renormalization group flow. Additional ultraviolet-attractive fixed points guarantee that the theory remains well defined up to an infinitely high scale. We apply this mechanism to the Yukawa couplings of the Standard Model extended with right-handed neutrinos, finding that asymptotically safe solutions in agreement with the current experimental determination of the masses and mixing angles exist for Dirac neutrinos with normal mass ordering. We generalize the discussion by applying the same mechanism to a new-physics model with sterile-neutrino dark matter, where we generate naturally the feeble Yukawa interaction required to reproduce via freeze-in the correct relic abundance.

Dynamically vanishing Dirac neutrino mass from quantum scale symmetry

Astrid Eichhorn a, Aaron Held b,c, b,*

ABSTRACT

We present a mechanism which drives Dirac neutrino masses to tiny values along the Renormalization Group flow, starting from an asymptotically safe ultraviolet completion of the third generation of the Standard Model including quantum gravity. At the same time, the mechanism produces a mass-splitting between the neutrino and the quark sector and also generates the mass splitting between top and bottom quark. The mechanism hinges on the hypercharges of the fermions and produces a tiny neutrino Yukawa coupling, because the right-handed neutrino is sterile and does not carry hypercharge.

See also: A. Held Ph.D. thesis, 2019

See also:

Domenech, Goodsell and Wetterich, 2021 Chikkaballi, Kowalska and Sessolo, 2023

For massive neutrinos with see-saw scale

In the rest of this talk, I will discuss three scenarios for massive neutrinos in ASQG

 Scenario I: Massive neutrinos from Weinberg operator (without right-handed neutrinos)

Scenario II:
 Majorana massive neutrinos from seesaw mechanism (type I)

Scenario III:
 Pseudo-Dirac massive neutrinos

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$$m_R \lesssim 10^{14} \,\mathrm{GeV} \,(\mathrm{assuming} \,\, m_{\nu,\mathrm{obs}} \sim 10^{-10} \,\mathrm{GeV})$$

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- **⇒** Compatible with asymptotically safe gravity
- **→** No upper or lower bound from this scenario
- ➡ We can tune the relevant parameters to embed this scenario into asymptotically safe gravity

Working hypothesis:

"Asymptotically Safe Gravity is Near-Perturbative"

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Strong evidence from pure gravity and gravity + "minimal matter"

Falls, Litim, Nikolakopoulos and Rahmede, 2013 Falls, Litim and Schröder, 2018 Eichhorn, Lippoldt, Pawlowski, Reichert and Schiffer, 2018

• The Weinberg operator is the dimension-5 operator:

$$\mathcal{L}_{\text{Weinberg}} = \frac{\zeta}{k} \left((\bar{L}\sigma_2 H^*) (H^{\dagger}\sigma_2 L^C) + \text{h.c.} \right)$$

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Neutrino mass arises from the Higgs vacuum expectation value

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Usually considered as part of the SMEFT (as a lepton number violating term)

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 - * The inclusion of a cosmological constant does not change this picture, unless we allow "unrealistic" fixed point values of the gravitation couplings (e.g. $G^*>30$)
 - **➡** The Weinberg operator scenario does not become UV complete under the impact of gravity
 - **→** Asymptotically safe gravity seems to require new degrees of freedom in the neutrino sector
 - **➡** This results does not rule exclude the Weinberg operator in a EFT setting

A popular scenario for massive neutrinos is based on the see-saw mechanism

$$\mathcal{L}_{\nu} \supset \frac{m_R}{2} \left(\bar{\nu}_R \nu_R^C + \text{h.c.} \right) + y_{\nu} \left(\bar{L} \tilde{H} \nu_R + \text{h.c.} \right) \quad \xrightarrow{\text{SSB}} \quad \mathcal{L}_{\nu} \supset \frac{m_R}{2} \left(\bar{\nu}_R \nu_R^C + \text{h.c.} \right) + m_D \left(\bar{\nu}_L \nu_R + \text{h.c.} \right) + \cdots$$

$$m_D = \frac{1}{\sqrt{2}} y_{\nu} v_H$$

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- **→** Smoking gun signature for Majorana neutrinos: neutrinoless double beta decay

* Searches at various experiments: NEMO-3; NEXT-100;KamLAND-Zen; EXO-200: CUORE: GERDA

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- Eigenvalues of the mass matrix and the see-saw mechanism

$$m_{1,2} = \frac{m_R}{2} \pm \frac{1}{2} \sqrt{m_R + 4m_D^2}$$
 $m_R \gg m_D \Rightarrow \frac{|m_1| \approx m_R}{|m_2| \approx \frac{m_D^2}{m_R}}$

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$$m_{1,2} = \frac{m_R}{2} \pm \frac{1}{2} \sqrt{m_R + 4m_D^2}$$
 $m_R \gg m_D \Rightarrow \frac{|m_1| \approx m_R}{|m_2| \approx \frac{m_D^2}{m_R}}$

* Searches at various experiments: NEMO-3; NEXT-100;KamLAND-Zen; EXO-200; CUORE; GERDA

ightharpoonup The mass of the light neutrino gets suppressed by a factor $m_D/m_R \ll 1$

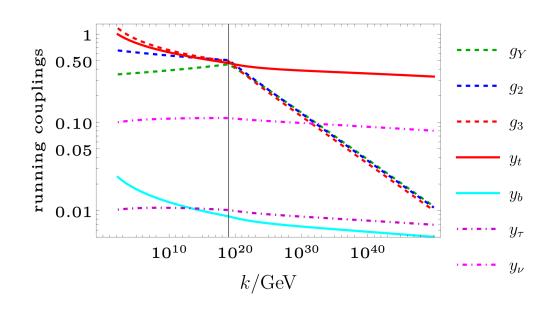
Can we accommodate such scenario within asymptotically safe gravity?

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• Yes! We can construct explicit RG trajectories that are UV complete for all couplings

→ The Majorana mass is relevant at a fixed point with $m_R^* = 0$

Thus, we have enough freedom to accommodate non-vanishing Majorana masses in the infrared



Asymptotically safe gravity generates an upper bound on the see-saw scale

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An upper bound arises as follows:

$$m_{\nu, \mathrm{obs}} = |m_2| pprox \frac{m_D^2}{m_R}$$

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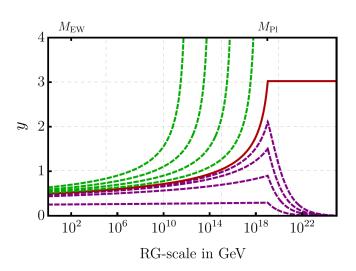
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Parametrised quantum gravity contribution
$$\beta_y = \#y^3 - f_y y$$

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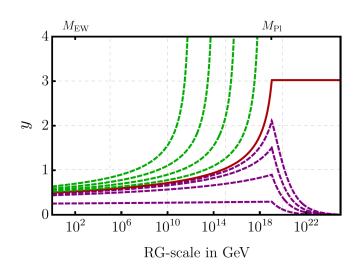
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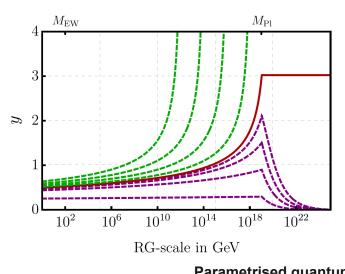
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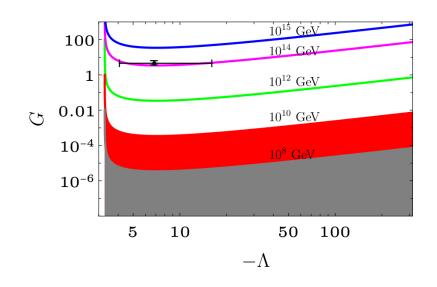
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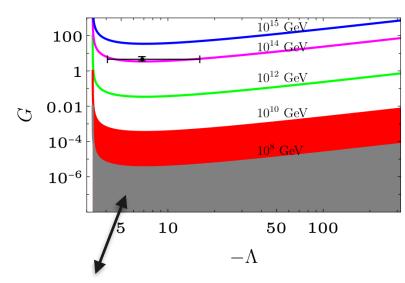
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Excluded if we impose from Davidson-Ibarra bound (thermal leptogenis)

• A different perspective on neutrinos with Majorana masses

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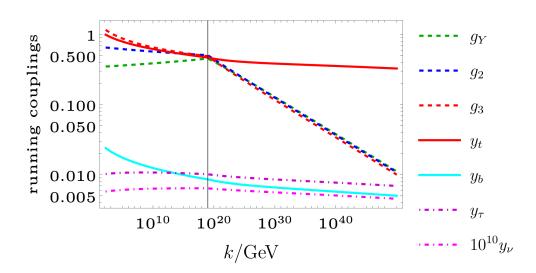
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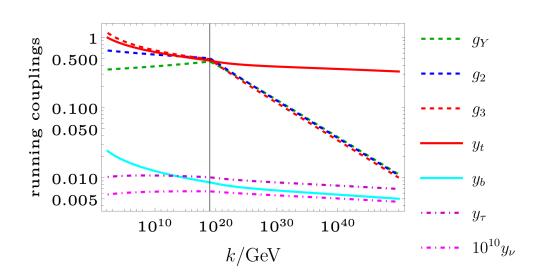
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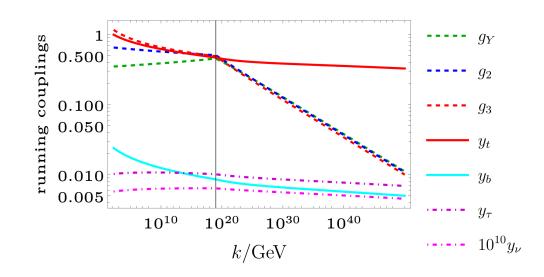


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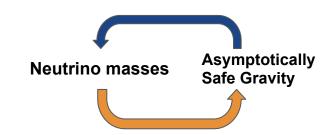
→ This scenario does not allow us to extract new theoretical bounds from asymptotically safe gravity



The interplay between massive neutrinos can give valuable information about the landscape of asymptotically safe gravity



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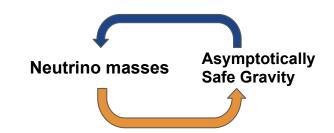


Neutrino masses from Weinberg operator

- **→** Incompatible with asymptotically safe gravity
- Not incompatible with EFT perspective

➡ Indication that extra degrees of freedom are necessary for UV completion

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Majorana neutrinos and the see-saw mechanism

- → Compatible with asymptotically safe gravity → Upper b
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 $m_R \lesssim 10^{14} \, \text{GeV} \, (\text{assuming } m_{\nu, \text{obs}} \sim 10^{-10} \, \text{GeV})$

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Pseudo-Dirac massive neutrinos

- → There is enough room to tune the free parameters in harmony with asymptotic safety
- No upper or lower bound from this scenario

Thank you for your attention!